#### 「プラズマ科学における分光計測の高度化と原子分子過程研究の新展開」 <u>「原子分子データ応用フォーラムセミナー」</u>合同研究会

日時: 平成28年1月27日 13:40 から1月29日 16:30 まで 場所: 核融合科学研究所 管理棟4階 第一会議室

## プラズマ医療の物理機構: プラズマ照射により溶液中に生成される反応活性種

大阪大学工学研究科 アトミックデザイン研究センター 幾世和将 浜口智志

# Acknowledgements

**Numerical Simulation:** 

T. Kanazawa, M. Isobe (Eng. Sch, Osaka U.)

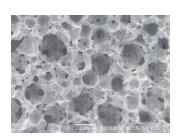
- 1. Introduction: cold atmospheric-pressure plasma (CAP) and plasma medicine
- One dimensional numerical simulation for generation of reactive species in pure water: effects of transport due to drift, diffusion, and advection
  - a) reactive neutral species
  - b) currents (electrons and ions)
- 3. Summary

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### Medical applications of plasma technologies

# processing of biologically functional surfaces

surface processing of artificial bones

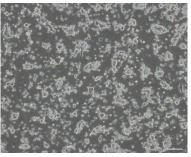






surface functionalization of cell culture dishes



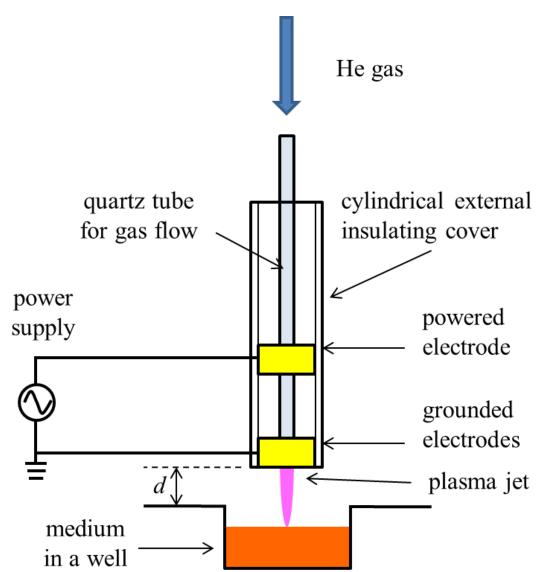


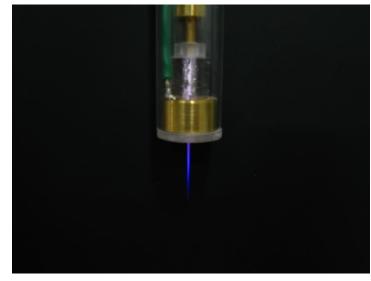
#### plasma based therapies



wound healing, cancer therapy, blood coagulation, sterilization, ...

### Plasma System





**Typical Parameters:** 

Vpp = 10kV

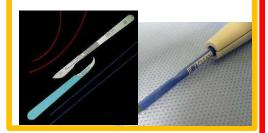
frequency: 27kHz (sinusoidal)

He gas floe: 3L/min

### Plasma medicine

traditional surgical devices

scalpels electrical scalpels mechanical force/heat



radiations

X-ray, heavy ions

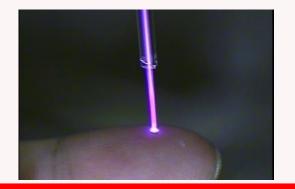
ionization

low-temperature plasma

new generation of plasma device

free radicals, ROS, RNS

blood coagulation, would healing, local sterilization, cell proliferation etc.



#### laser

laser scalpels heat

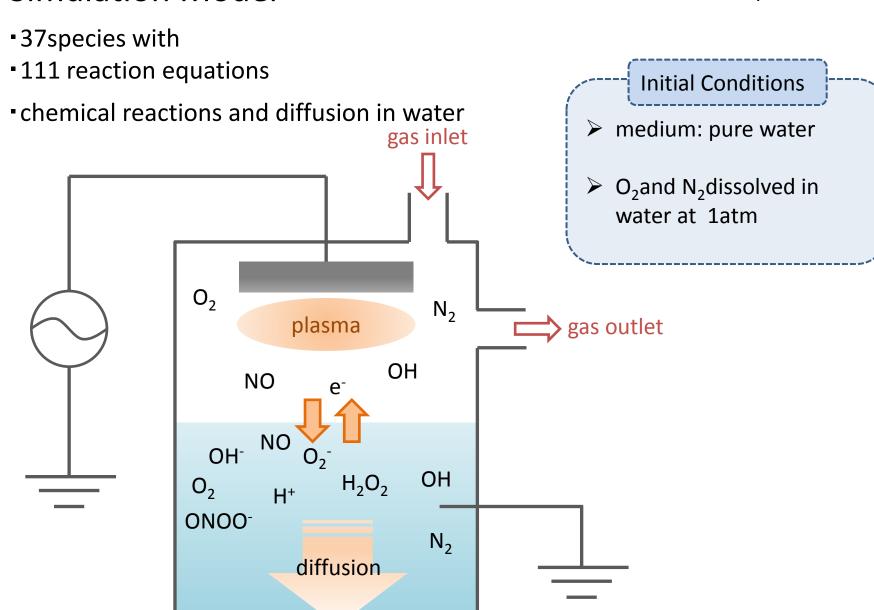


#### thermal plasma

argon plasma coagulator heat



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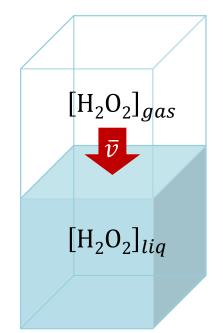


#### Transport terms connecting the gas and liquid phases

#### one dimensional reaction diffusion equations in the liquid phase

$$\frac{d[\text{OH}]}{dt} = k_{ij}[\text{H}][\text{H}_2\text{O}_2] + \dots + \frac{d}{dx}\Gamma_{\text{OH}}$$

$$\frac{reaction\ terms}{k_{ij}:\ \text{rate\ constant}} \qquad \frac{transport\ term}{\Gamma_{\text{OH}}:\ \text{flux}}$$



for example 
$$H + H_2O_2 \rightarrow OH + H_2O$$

#### **Assumptions**

- ✓ All gaseous species enter the liquid surface at thermal speed.
- ✓ Fluxes of charged particles are specified by their electric currents.
- ✓ Neutral particles desorb by Henry's law
- ✓ No charged particle leaves the liquid

#### **Model equations**

#### Mass conservation

$$\frac{\partial n_i}{\partial t} = \widetilde{R}_i - \nabla \cdot \left( -D_i \nabla n_i + \mu_i n_i \mathbf{E} \right) - \mathbf{v}_c \nabla n_i$$
 chemical reactions drift by electrical field

Chemical reaction term (source term)

$$\begin{split} \widetilde{R}_i = -\xi_{ij} n_i n_j + \xi_{kl} n_k n_l + \cdots \\ \uparrow \qquad \uparrow \qquad \qquad \uparrow \\ \text{annihilation production} \end{split}$$

Poisson's equation

$$\nabla \cdot \mathbf{E} = \frac{\rho}{\varepsilon_{w}}$$

 $n_i$ : concentration of species i in liquid

t : time

 $D_i$  : diffusion coefficient of species i

 $\mu_i$  : mobility of species i

E: electric field

 $\mathbf{v}_c$ : flow velocity

$$\left(\nabla \cdot \mathbf{v}_c = 0.\right)$$

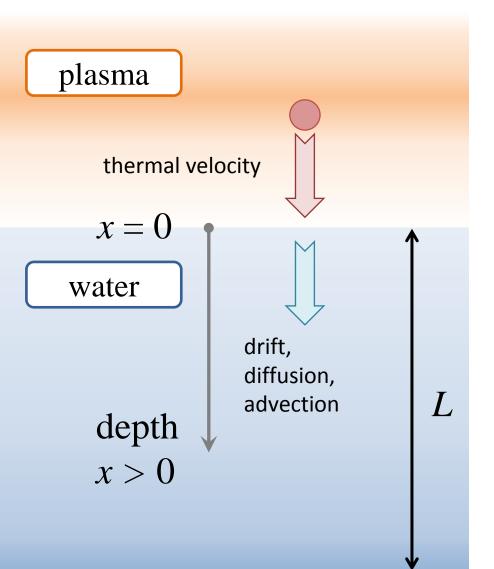
 $\xi$  : reaction rate

 $\rho$  : charge density

 $\varepsilon_{\scriptscriptstyle W}$  : dielectric constant

of water

#### **Boundary Conditions**



#### Surface

$$v_i^{th} \left( n_i^{gas} - \frac{n_i}{k_i^H R T_g} \right) = \left( -D_i \frac{\partial n_i}{\partial x} + \mu_i n_i E \right) \Big|_{x=0}$$

 $v_i^{th}$ : thermal velocity (gas)

 $n_i^{gas}$  : concentration (gas)

 $k_i^H$ : Henry's constant

R: gas constance

 $T_{o}$  : gas temperature

Bottom

if L is sufficiently large

$$0 = \left(-D_i \frac{\partial n_i}{\partial x} + \mu_i n_i E\right)\Big|_{x=L}$$

L: bottom depth

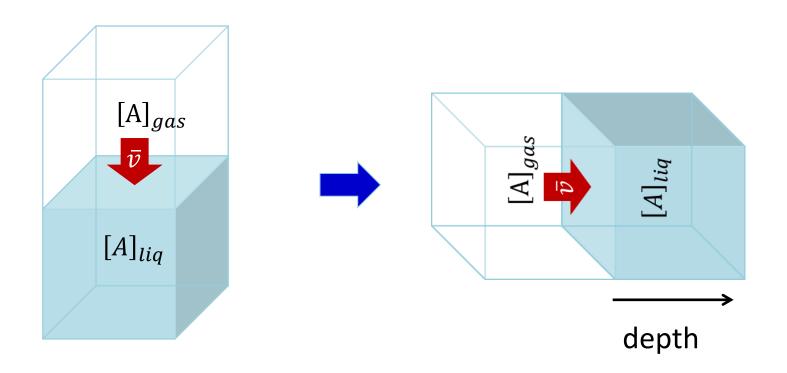
# gas-liquid interface

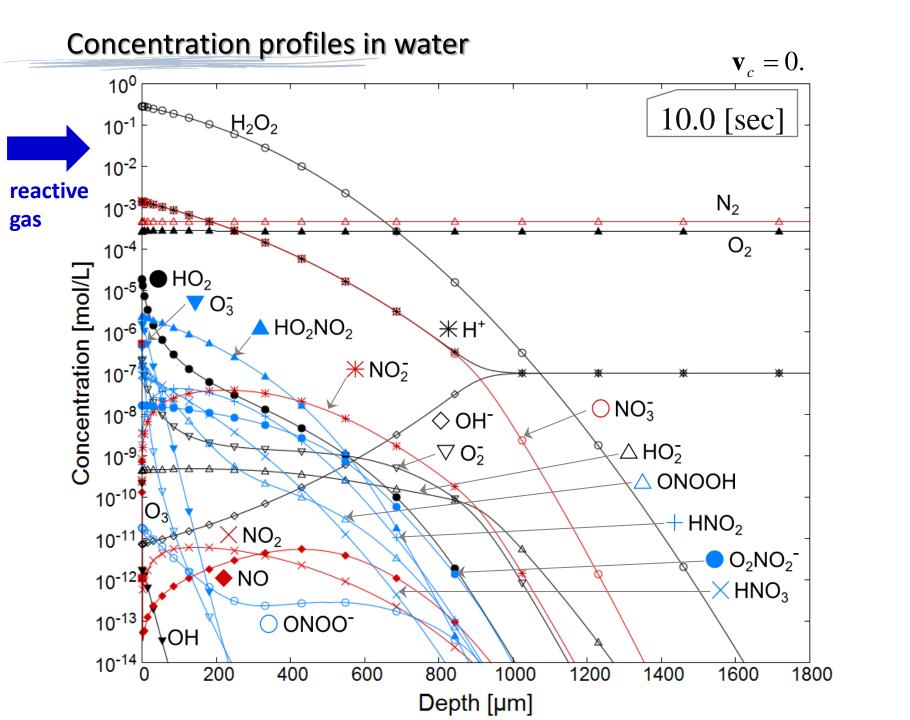
gas phase adsorption desorption (with water vapor) or (evaporation) electrical current boundary layer highly reactive chemical electric  $(100 \text{ nm} \sim 1 \mu\text{m})$ species such as OH filed if any transport of less reactive species bulk water

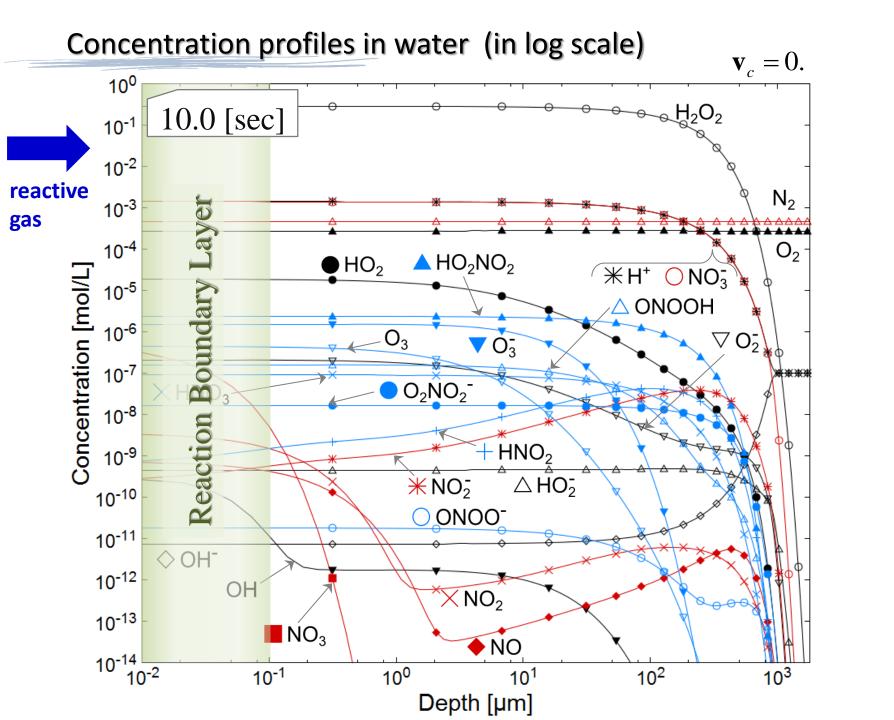
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### 6 species supplied to pure water

species	Gas density (cm <sup>-3</sup> )	Incident flux (mol·cm <sup>2</sup> ·s <sup>-1</sup> )
$H_2O_2$	$1 \times 10^{14}$	$1.8 \times 10^{-6}$
$HO_2$	$3\times10^9$	$5.5 \times 10^{-11}$
NO	$1 \times 10^{13}$	$1.9 \times 10^{-7}$
$NO_2$	$8 \times 10^{12}$	$1.2 \times 10^{-7}$
$NO_3$	$1 \times 10^{13}$	$1.3 \times 10^{-7}$
$O_3$	$1 \times 10^{15}$	$1.5 \times 10^{-5}$

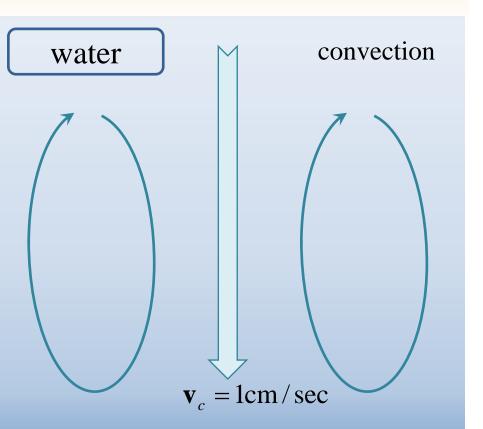






### Simulation model with advection

plasma: gas phase

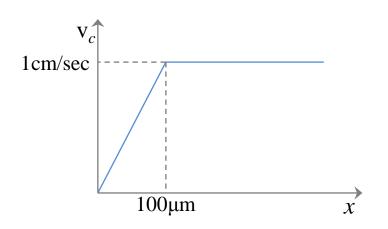


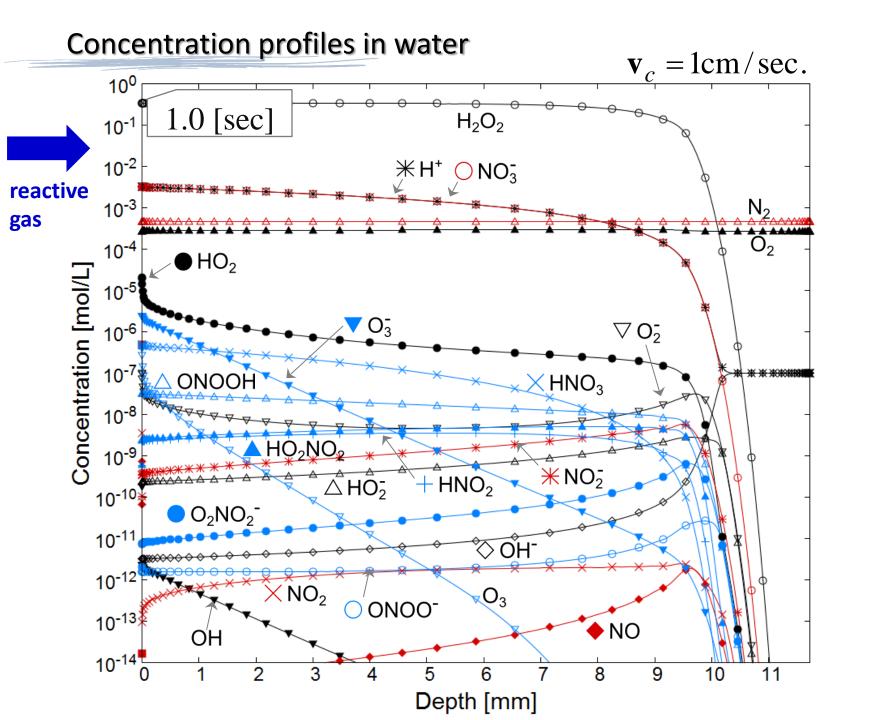
$$\frac{\partial n_i}{\partial t} = \widetilde{R}_i - \nabla \cdot \left( -D_i \nabla n_i + \mu_i n_i \mathbf{E} \right) - \mathbf{v}_c \nabla n_i$$

flow velocity

 $0 \le x \le 100 \mu \text{m}$ : linear

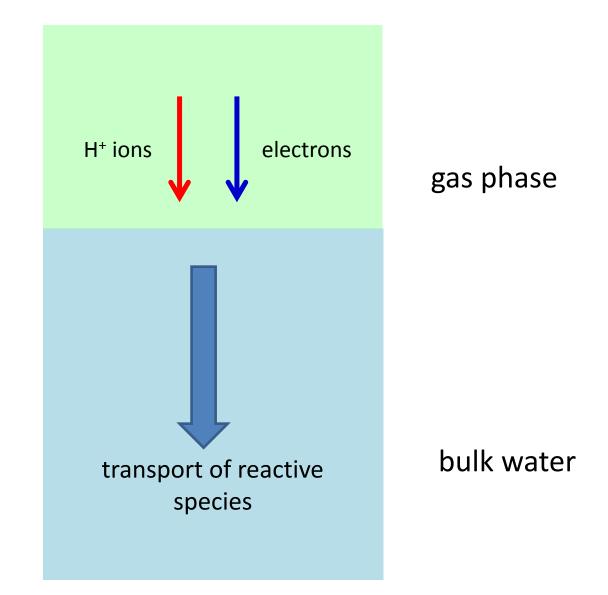
 $100 \mu \text{m} < x$  : constant (1cm/sec)



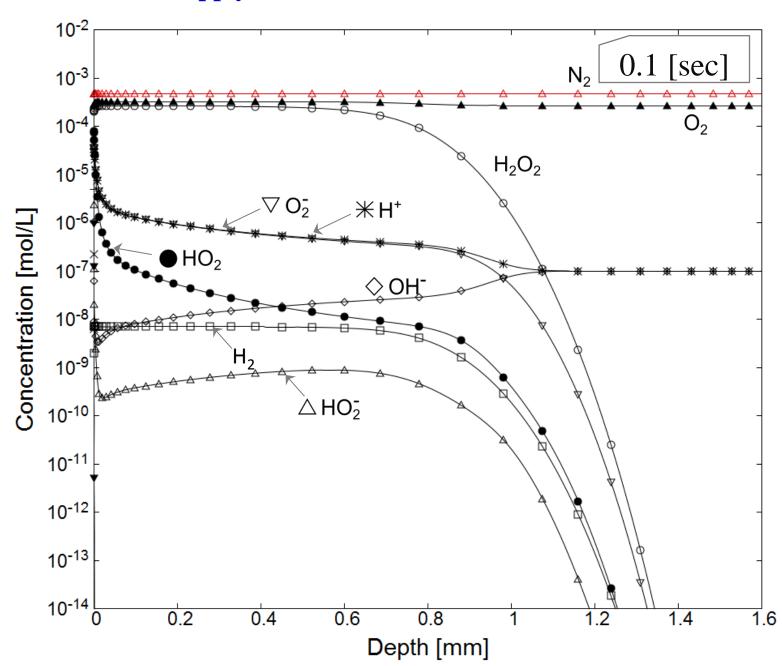


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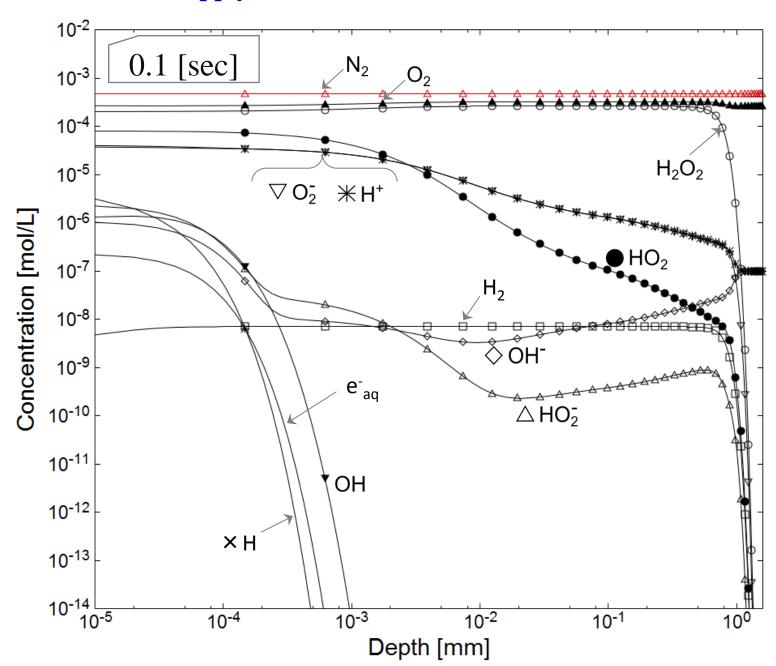
## current effects (without net current)



#### electron and H<sup>+</sup> supply (±0.01mA/cm<sup>2</sup>: no net current)



#### electron and $H^+$ supply ( $\pm 0.01$ mA/cm<sup>2</sup>: no net current)



## **Conclusions**

- Numerical simulators for advection-reaction-diffusion equations for reactive species in liquid has been developed for 1D systems based on available chemical data.
- 2. There is a liquid-phase boundary layer with a thickness of about 100nm~1µm, only in which highly reactive chemical species supplied through the surface exist.
- 3. Current (electrons and  $H^+$  ions) generates  $H_2O_2$  via  $O_2^-/HO_2$  and then also generates OH radicals from

$$e_{aq} + H_2O_2 \rightarrow OH + OH^-$$